# Imputation Methods for single cell RNA-Seq data 

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## Imputation Methods for scRNA-seq data

There are two types of people in this world:

1. Those who can infer information from missing data

## Drop-outs

- occurring because of inefficient mRNA capture,
- or naturally due to low number of RNA transcripts and the stochastic nature of gene expression,
$\rightarrow$ the result is capturing only a fraction of the transcriptome of each cell and hence data that has a high degree of sparsity.


## Existing single cell RNA-Seq imputation methods

- The DrImpute R package implements imputation for scRNA-Seq based on clustering the data.
- First DrImpute computes the distance between cells using Spearman and Pearson correlations, then it performs cell clustering based on each distance matrix, followed by imputing zero values multiple times based on the resulting clusters, and finally averaging the imputation results to produce a nal value for the drop-outs.


## Existing single cell RNA-Seq imputation methods

- The sclmpute R package makes the assumption that most genes have a bimodal expression pattern that can be described by a mixture model with two components.
- The first component is a Gamma distribution used to account for the drop-outs, while the second component is a Normal distribution to represent the actual gene expression levels.
- The parameters in the mixture model are estimated using Expectation-Maximization (EM)


## Existing single cell RNA-Seq imputation methods

- Weighted K-nearest neighbors (KNNimpute), a method originally developed for microarray data, selects genes with expression profiles similar to the gene of interest to impute missing values.
- For instance, consider a gene $A$ that has a missing value in cell 1, KNN will find $K$ other genes which have a value present in cell 1 , with expression most similar to A in cells 2 to N , where N is the total number of cells.
- A weighted average of values in cell 1 for the $K$ genes closest in Euclidean distance is then used as an estimate for the missing value for gene $A$.


## Proposed method: locality sensitive imputation (LSImpute)

- Given a set S of n cells, start by selecting m cells with highest similarity level, until at least $m \_m i n$ are selected or the highest pair similarity drops below a given threshold.
- Cluster the $m$ cells using a suitable clustering algorithm into "tight" clusters.
- For each cluster, replace zeros for each gene j with values imputed based on the expression levels of gene j in all cells within the cluster.
- The selected cells now have imputed values and the clusters they form are collapsed into their respective centroids.
- The centroids are pooled together with unselected cells to form a new S .


## Proposed method: locality sensitive imputation (LSImpute)



Fig. 1. Illustration of Steps 1 (left) and 2 (right) of the LSImpute algorithm. Gray dots represent already processed cells and collapsed centroids from previous iterations. Pink dots represent cells in pairs with highest similarity level which are selected for clustering.

## Data

- ultra-deep scRNA-Seq data generated for 209 somatosensory neurons isolated from the mouse dorsal root ganglion (DRG)
- An average of $31.5 \mathrm{M} 2 * 100$ read pairs
- detection of an average of 10,950+/-1,218 genes per cell.
- simulate varying levels of drop-out effects : 50K, 100K, 200K, 300K, $400 \mathrm{~K}, 500 \mathrm{~K}, 1 \mathrm{M}, 5 \mathrm{M}, 10 \mathrm{M}$, respectively 20 M read pairs per cell.
- As ground truth we used TPM values determined by running IsoEM2 on the full set of reads.


## Data




Fig. 2. Heatmap of log-transformed TPM values of marker genes identified for DRG neurons in [7] (left) and t-SNE plot showing the 8 clusters from [7] (right).


$\begin{array}{cc}\text { Clusters } \\ - & \mathrm{C} 1 \\ - & \mathrm{C} 2 \\ - & \mathrm{C} 3 \\ - & \mathrm{C} 4 \\ - & \mathrm{C} 5 \\ - & \mathrm{C} 6 \\ - & \mathrm{C} 7 \\ - & \mathrm{C} 8\end{array}$

$1.0$



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Fig. 3. True vs. imputed detection fractions (columns, left to right $100 \mathrm{~K}, 1 \mathrm{M}, 10 \mathrm{M}$ read pairs per cell; rows, top to bottom: Raw Data, DrImpute, scImpute, KNNImpute, LSImputeMed, and LSImputeMean).


Fig. 1. Rounded True vs. imputed detection fractions (columns, left to right: 100K, KNNImpute, LSImputeMed, and LSImputeMean).




Table 1. Gene detection accuracy

| Data | Not Rounded |  |  |  |  | Rounded |  |  |  |  |  |  |
| :---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  | Raw | Dr. | KNN. | sc. | LSMd | LSMn | Raw | Dr. | KNN. | sc. | LSMd | LSMn |
| 50 K | 0.676 | $\mathbf{0 . 8 2 2}$ | 0.700 | 0.799 | 0.699 | 0.732 | 0.752 | $\mathbf{0 . 8 6 6}$ | 0.748 | 0.700 | 0.773 | 0.792 |
| 100 K | 0.740 | 0.810 | 0.713 | 0.778 | 0.790 | $\mathbf{0 . 8 1 9}$ | 0.816 | $\mathbf{0 . 8 7 6}$ | 0.720 | 0.712 | 0.851 | 0.857 |
| 200 K | 0.800 | 0.778 | 0.726 | 0.754 | 0.842 | $\mathbf{0 . 8 4 8}$ | 0.872 | 0.878 | 0.689 | 0.722 | $\mathbf{0 . 8 9 2}$ | 0.873 |
| 300 K | 0.830 | 0.772 | 0.732 | 0.740 | $\mathbf{0 . 8 6 3}$ | 0.848 | 0.899 | 0.880 | 0.673 | 0.726 | $\mathbf{0 . 9 0 8}$ | 0.880 |
| 400 K | 0.847 | 0.762 | 0.736 | 0.731 | $\mathbf{0 . 8 7 6}$ | 0.853 | 0.915 | 0.882 | 0.663 | 0.730 | $\mathbf{0 . 9 1 6}$ | 0.881 |
| 500 K | 0.859 | 0.759 | 0.738 | 0.725 | $\mathbf{0 . 8 8 4}$ | 0.854 | $\mathbf{0 . 9 2 7}$ | 0.883 | 0.655 | 0.732 | 0.922 | 0.885 |
| 1 M | 0.894 | 0.737 | 0.747 | 0.703 | $\mathbf{0 . 9 0 2}$ | 0.853 | $\mathbf{0 . 9 5 2}$ | 0.882 | 0.634 | 0.738 | 0.928 | 0.890 |
| 5 M | $\mathbf{0 . 9 5 0}$ | 0.705 | 0.762 | 0.661 | 0.928 | 0.840 | $\mathbf{0 . 9 8 0}$ | 0.894 | 0.621 | 0.772 | 0.943 | 0.905 |
| 10 M | $\mathbf{0 . 9 6 9}$ | 0.692 | 0.768 | 0.648 | 0.937 | 0.821 | $\mathbf{0 . 9 8 7}$ | 0.907 | 0.627 | 0.800 | 0.955 | 0.914 |
| 20 M | $\mathbf{0 . 9 8 8}$ | 0.690 | 0.774 | 0.635 | 0.941 | 0.827 | $\mathbf{0 . 9 9 4}$ | 0.921 | 0.634 | 0.825 | 0.965 | 0.930 |





Fig. 5. Surface plots indicating Median Percent Error value in log scale (y-axis) for each depth (x-axis) in each quantile (z-axis) for each method starting clockwise from top left: Raw data, DrImpute, scImpute, KNNImpute, LSImputeMed and LSImputeMean


Fig. 7. Clustering Micro Accuracy for clustering algorithms clockwise from top left: PCA based hierarchical clustering using Spearman correlation, Seurat, TF-IDF_Top_C clustering and PCA based spherical k-means clustering

